## SOLUTIONS TO QUIZ #3 QUISTIONS

PART A - Short Answer (point form acceptable)



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## 1. RAPID ROUND:

- a) Name one oxygen source and 1 oxygen sink that are <u>not</u> included in the basic Streeter-Phelps DO sag model. source: <u>Photosy NTAUSIS</u>
  - sink: NBOD RESPIRATION BENTILE DEMAND

TEMPERATURE

b) What is the main factor affecting the saturation concentration of dissolved oxygen in water?

c) What is the principal driving force behind dispersion? <u>CONCENTRATION GRADIEN</u>TS

2. What 2 main assumptions are required to define an ideal CFSTR?

- COMPLETE DISPLESION OF FLUID PAETICLES THROUGHOUT REACTOR

- EFFLUENT CONC. = CONC. IN REACTOR
- 3. How do dead zones affect the detention time of a CFSTR?

DEAD ZONES REDUCE THE DUTENTION TIME OF A CESTR.

- 4. The diagram at right illustrates the distribution of a plug flow front of a step input of contaminant which has undergone some dispersion. Show how the front would look if the system exhibited ideal plug flow.
  C(x)
  0.5C<sub>o</sub>
  distance (x)
- 5. Is disposal of biodegradable wastes in Canadian streams a bigger problem in winter or summer? Why?

Summer

- GREATER MICROBIAL ACTIVITY AT HIGHER TEMPERATURES (†K'S) MEANS THESRE WILL BE GREATER ORYGEN DEMANDS (D.D. DEFICITS) DURING THE WARM SUMMER MONTHS THAN IN WINTER.

- 6. Is NBOD included in the Streeter-Phelps DO sag model? For what type of waste is / ICE COVER SLOWS NBOD a significant contributor to the oxygen demand in streams?
  - NO.

MUNICIPAL WASTES (SEWAGE), OR OTHER WASTES KIGH IN AMMONIA OR ORGANIC NITROGEN.

REALERATION IN WINTER, BUT BIOACTIVITY IS SO LOW AT < 1°C THAT THERE IS LITTLE OZ CONSUMPTION TO LOMPENSATE FOR PARDON MY GRAMMAR)

## **PART B - Numerical Problems**

7. A particular first order reaction with rate constant k of 0.05 hr<sup>-1</sup> can be accomplished using either a single PFR or 3 identical CFSTRs in series. Calculate the relative steady state % treatment efficiency of each process type assuming an influent concentration of 100 mg/L and a total detention time in either case of 1.5 days.  $\int_{C} \frac{PFR}{C} = 1.5 dd$ 

$$\frac{PFR}{C} = C_0 e^{-kt_0} = 100 \frac{-(0.05hr^2)(1.5d)(24hr/d)}{2} = 16.5 \frac{-1}{100}$$

$$\frac{8}{C} = \frac{1}{C} \frac{1}{100} = \frac{(100 - 16.5)}{100} = 83.5\%$$

$$\frac{3 - CFSTRs}{C_0} = \frac{1}{(1 + kt_0)^n} = \frac{1}{(1 + (0.5hr^2)(24hr/d)(0.5d))^3} = 0.244$$

$$\frac{8}{C} = \frac{1}{(1 + kt_0)^n} = \frac{1}{(1 - 0.244)(0.5d)} = 75.6\%$$

8. A boat runs aground in the middle of a river and loses a portion of its load of the toxic compound 'MX'. The 'MX' becomes completely dispersed across the river to a concentration of 100 µg/L at a point 3.2 km upstream of an untreated drinking water intake, and the maximum acceptable concentration for 'MX' in drinking water is 10 µg/L. If the mean velocity of the river is 300 m/min and it takes 9.5 minutes before people at the drinking water intake can be notified of the spill, can they still avoid pumping water which has been contaminated above the acceptable limit, or is it too late? Why or why not? [Assume that  $D = 1.5 \times 10^3 \text{ m}^2/\text{min.}$ ]  $\chi = 3200 \text{ m}$   $\sqrt{=300 \text{ m}/\text{min}}$ 

$$\frac{3.24 \text{ Dt}}{21 \text{ Dt}} = \frac{3.24 \text{ Dt}}{3.24 \text{ Dt}} = x^2 - 2xvt + v^2 t^2$$

$$\frac{3.24 \text{ Dt}}{3.24 (1.5 \times 10^3)t} = (3200 \text{ m})^2 - 2(3200 \text{ m})(300 \text{ m/min})t + (300 \text{ m/min})^2 t^2$$

$$\frac{3.24 (1.5 \times 10^3)t}{2} = (3200 \text{ m})^2 - 2(3200 \text{ m})(300 \text{ m/min})^2 t^2$$

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$$\frac{3.24 (1.5 \times 10^3)t}{2} = (3200 \text{ m})^2 + (300 \text{ m})^2 +$$

9. Wastewater effluent is discharged to a river. Both the effluent and the river upstream of the point of discharge are at 20°C. The river upstream has an ultimate BOD of zero and the DO concentration is at saturation. For the wastewater, the BOD<sub>5</sub> is 100 mg/L and the DO is zero. The wastewater flow is relatively small in relation to the river.  $L_{0} = C_{s} - C_{s} = O$ 

The flow in the river upstream of the point of mixing is  $3 \text{ m}^3$ /s. The depth of the river is 1.5 m and its velocity is 0.2 m/s. In the lab, k was determined to be 0.25  $d^{-1}$  at 20°C. Because of in-stream processes, kr is 10% greater than k. Reaeration occurs in this stretch with a rate constant  $k_2$  of 0.95 d<sup>-1</sup>, and  $C_s = 9.08$  mg/L at 20°C. If the critical deficit is 2.0 mg/L and the critical time is 3.0 d, determine the wastewater flow allowable.

$$D_{c} = 2.0 \text{ mg}[L \quad t_{c} = 3.0 \text{ d} \quad C_{s} = 9.08 \text{ ms}[L \quad k = 0.25 \text{ d}^{-1} \quad k_{z} = 0.95 \text{ d}^{-1}$$

$$k_{r} = 1.1(k) = 1.1(0.25 \text{ d}^{-1}) = 0.275 \text{ d}^{-1}$$

$$L_{w}: \quad Bob(s) = L_{w}(1 - e^{-kt}) \quad \therefore \quad L_{w} = \frac{Bob_{r}}{1 - e^{-kt}} = \frac{100 \text{ mg}[L}{1 - e^{-0.27(s)}} = 140 \text{ mg}[L]$$

$$D_{c} = D(3d) = 2.0 \text{ ms}[L = \frac{kL_{o}}{k_{z} - k_{r}} \left( \frac{-k_{r}t_{o}}{e} - \frac{-k_{z}t_{o}}{e} \right) + D_{o}e^{-k_{z}t_{o}} \quad D_{o} = 0$$

$$\sum_{r=0}^{n} L_{o} = \frac{2 \text{ ms}[L(k_{z} - k_{r})]}{k(e^{-k_{r}t_{o}} - e^{-k_{z}t_{o}})} = \frac{2(0.95 - 0.275)}{0.25(e^{-0.275}(3.0) - 0.95(3.0))} = 14.2 \text{ mg}[L]$$

Assume Simple mixing model :



## BONUS QUESTION

10. The DO sag curve for discharge of a particular biodegradable waste in warm weather conditions is shown below. On this diagram, sketch the general trends in changes to this system if the temperature of the receiving body was to be reduced by several degrees.

